## Fill in the Blanks Tree Diagrams for Dependent Events

| Question | Tree Diagram | Probability |
| :---: | :---: | :---: |
| There are $x$ blue counters and 4 red counters in a bag. Two counters are chosen at random without replacement. Complete the tree diagram and find expressions for each of the probabilities. |  | $P(B B)=\frac{x}{x+4} \times \frac{x-1}{x+3}$ |
|  |  | $P(B R)=\times$ |
|  |  | $P(R B)=\times$ |
|  |  | $P(R R)=\times$ |
| There are 8 black pens and $n$ green pens in a pencil case. Gloria chooses two pens at random from the pencil case. Complete the tree diagram and find expressions for each of the probabilities. |  | $P(B B)=\frac{8}{n+8} \times$ |
|  |  | $P(B G)=\times$ |
|  |  | $P(G B)=\times$ |
|  |  | $P(G G)=\times$ |
| There are $n$ biscuits in a tin. There are some digestives and five shortbreads. Ayyan takes two biscuits from the tin at random and eats them. Draw a tree diagram and find expressions for each of the probabilities. |  | $P(D D)=\times$ |
|  |  | $P(D S)=\times$ |
|  |  | $P(S D)=\times$ |
|  |  | $P(S S)=\times$ |
| A jar contains $x$ lime sweets and some pear sweets. The number of pear sweets is one more than the number of lime sweets. Two sweets are chosen at random. Draw a tree diagram and find expressions for each of the probabilities. |  | $P(L L)=\times$ |
|  |  | $P(L P)=\times$ |
|  |  | $P(P L)=\times$ |
|  |  | $P(P P)=\times$ |

